



Stewards Academy

ICT KS3 Year 7 Spring 1

Blended Learning Booklet

Name:

Form:

Aim to complete one lesson each week. Write out the title and LI and then complete the tasks.

The Knowledge Organiser on page 4 and 5 have some key information and vocabulary to help you with this unit.

Upload all work onto ClassCharts for feedback.

Contents

Page3: Big Picture - Year 7 Overview

Page 4 and 5: Knowledge Organiser

Page 6 - 10: Lesson 1

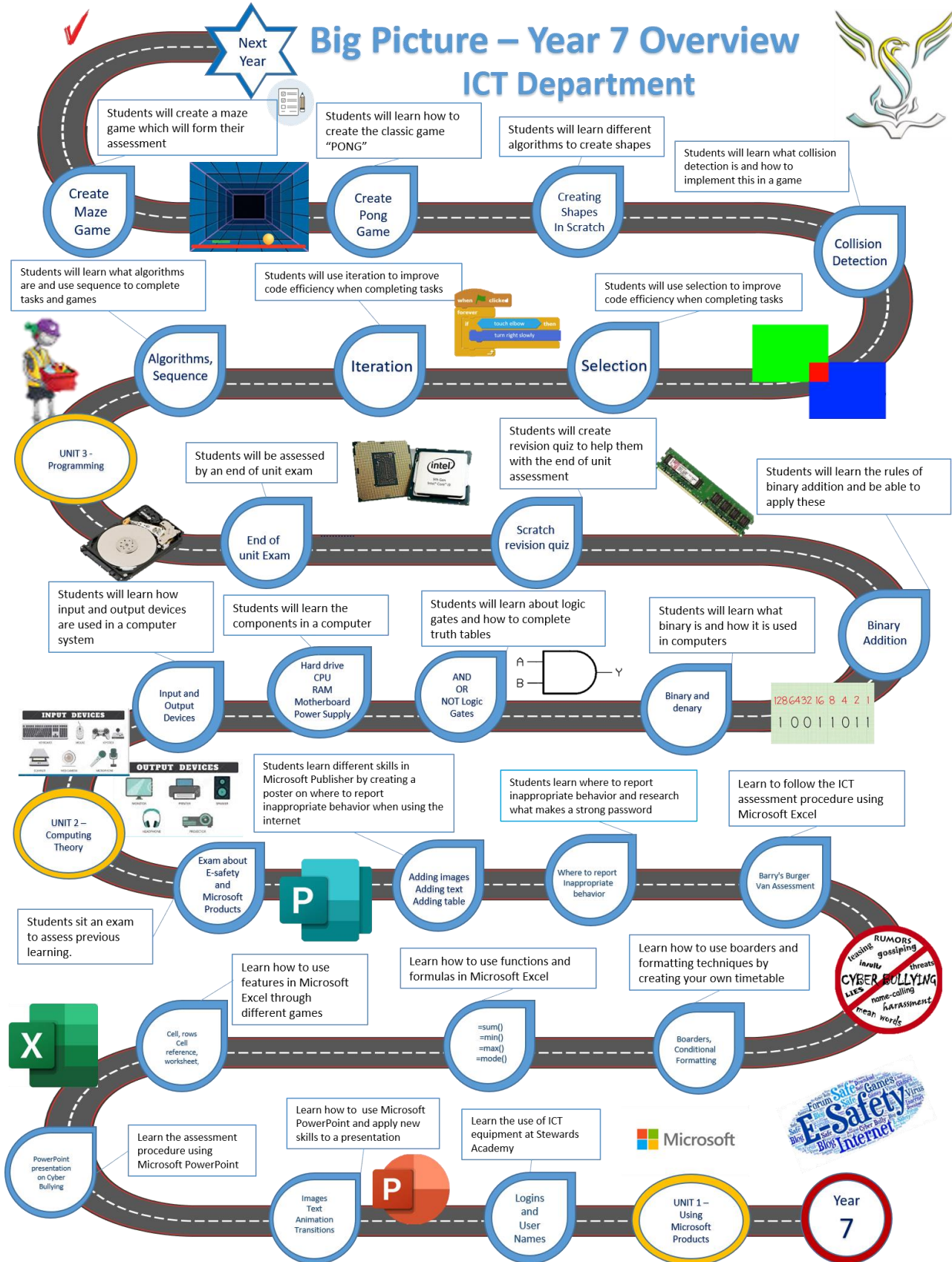
Page 11 - 15: Lesson 2

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Page 20 - Lesson 4 – Assessment will be sent separately



Big Picture – Year 7 Overview ICT Department





KS3 Knowledge Organiser - Computing

Binary

As computers only understand 1s and 0s, all data must be converted into binary to be processed. Binary can be used to represent all numbers in our standard number system. (base 2)

$$\begin{array}{r}
 128 \quad 64 \quad 32 \quad 16 \quad 8 \quad 4 \quad 2 \quad 1 \\
 \hline
 1 \quad 0 \quad 0 \quad 1 \quad 1 \quad 0 \quad 1 \quad 1 \\
 \hline
 128 + 0 + 0 + 16 + 8 + 0 + 2 + 1 = 155
 \end{array}$$

Binary Numbers are easier to Convert using Tables

Drawing a table with binary place values in the first row makes binary to denary conversion easier.

EXAMPLE: Convert the 8-bit binary number 00110101 to a denary number.

- 1) Draw up a table with binary place values in the top row. Start with 1 at the right, then move left, doubling each time.
- 2) Write the binary number 00110101 into your table.
- 3) Add up all the numbers with a 1 in their column: $32 + 16 + 4 + 1 = 53$

Each column is just a power of 2, i.e. $2^1, 2^2, 2^3, 2^4, 2^5$.

This works with all binary numbers — just draw as many columns as you need, adding each time.

8-bit numbers can represent the denary numbers 0-255. 16-bit numbers can show the numbers 0-65535, and 32-bit can show the numbers 0-4294967295.

Convert Denary to Binary by Subtracting

When converting from denary to binary, it's easier to draw a table of binary place values, then subtract them from largest to smallest. Have a look at this example:

EXAMPLE:

Convert the denary number 79 into an 8-bit binary number.

- 1) Draw an 8-bit table.
- 2) Move along the table, only subtracting the number in each column from your running total if it gives a positive answer.
- 3) Put a 1 in every column that gives a positive answer, and a 0 in the rest.

So 79 converted to an 8-bit binary number is 01001111.

There are other methods to convert denary to binary, so just choose the one you are most comfortable with.

Denary/Decimal

Decimal is the number systems humans use. In our standard number system we have ten different digits. (0,1,2,3,4,5,6,7,8,9) (Base 10)

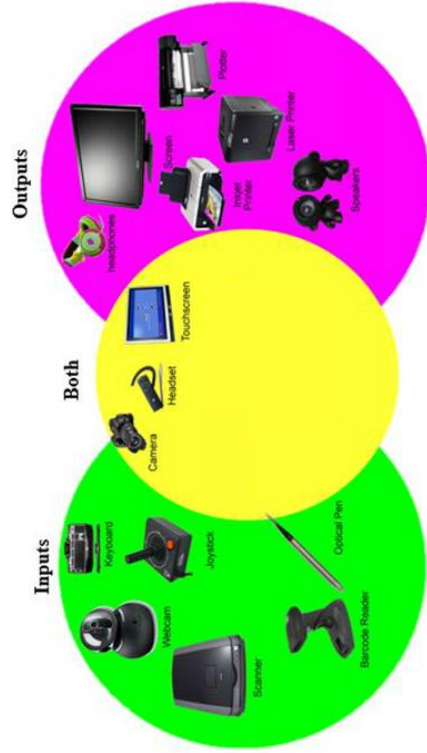
**BINARY
IT'S AS
EASY AS
01 10 11**

Hexadecimal Numbers

Hexadecimal is another number system used regularly in programming. Hex uses a combination of digits and letters in order to represent a number.

Denary	Hex	Binary	Denary	Hex	Binary
0	0	0000	8	8	1000
1	1	0001	9	9	1001
2	2	0010	10	A	1010
3	3	0011	11	B	1011
4	4	0100	12	C	1100
5	5	0101	13	D	1101
6	6	0110	14	E	1110
7	7	0111	15	F	1111

Input and Output Devices



KS3 Knowledge Organiser - Computing

Logic Gates

Logic gates take binary information and give an output based on the Boolean operations (NOT, AND, OR)

- Logic gate a special circuits built onto computer chips
- Each Logic gates has a corresponding truth table

NOT gate

1) NOT gates take a single input and give a single output.
 2) The output is always the opposite value to the input.
 If 1 is input, it outputs 0. If 0 is input, it outputs 1.

NOT gets symbol

NOT truth table

Input	Output
0	1
1	0

AND gate

1) AND gates take two inputs and give one output.
 2) If both inputs are 1, the output is 1, otherwise the output is 0.

AND gets symbol

AND truth table

Input A	Input B	Output
0	0	0
0	1	0
1	0	0
1	1	1

OR gate

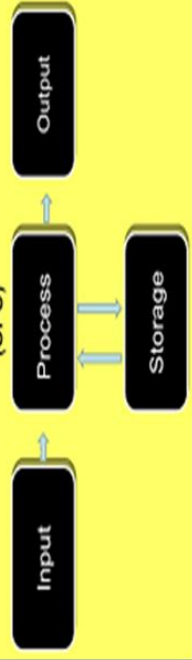
1) OR gates take two inputs and give one output.
 2) If one or more inputs are 1, then the output is 1, otherwise the output is 0.

OR gets symbol

OR truth table

Input A	Input B	Output
0	0	0
0	1	1
1	0	1
1	1	1

Information Processing Cycle (CPU)



Cloud Computing

Hosting is where a business uses its servers to store files for another person or organisation.

A recent use of internet is for general storage of user files and also providing online software. This is cloud computing, or simply 'The Cloud'.

Cloud storage has some pros and cons.

Pros of the cloud

- Users can access files from any connected device.
- Easy to increase how much storage is available.
- No need to buy expensive hardware to store data.
- No need to pay IT staff to manage the hardware.
- Cloud host provides security and back ups for you.
- Cloud software will be updated automatically.

Cons of the cloud

- Need connection to the Internet to access files.
- Dependent on host for security and back-ups.
- Data in the cloud can be vulnerable to hackers.
- Unclear who has ownership over cloud data.
- Subscription fees for using cloud storage and software may be expensive.

Components in a PC



Power Supply Unit(PSU): There is a PSU inside every computer that provides its power.

Hard Drive: A hard disk is a magnetic storage device for digital data.

RAM: RAM is the memory to store computer programs whilst they are running.

CPU: A CPU (Central Processing Unit) is the core of every Personal Computer. Without it, no PC can function.

Motherboard: The Motherboard is the main printed circuit board in the computer.

ROM: Rome tells the CPU how to boot up.



DART

Binary Numbers

Computers only process **binary data**, which means that all data is stored, and calculations are done, just using **0s** and **1s**. But luckily, you can **convert** binary numbers into normal (decimal) numbers.

Counting in Binary is Similar to Counting in Decimal

Here, 'decimal' is talking about the number system, not a decimal number like 2.5.

- 1) Our **standard** number system has **ten** different digits (0, 1, 2, 3, 4, 5, 6, 7, 8, 9). This is called **decimal**, **denary** or **base-10**.
- 2) The **place values** from right to left **increase** by **powers of 10** (e.g. 1000, 100, 10, 1).
- 3) **Binary** only uses **two** different digits (0 and 1) — we call this **base-2**.
- 4) So in binary, the place values from **right to left** increase by **powers of 2** (e.g. 8, 4, 2, 1).
- 5) The box on the right shows the **decimal** numbers **0-15** and their matching **binary** values.

0 = 0	8 = 1000
1 = 1	9 = 1001
2 = 10	10 = 1010
3 = 11	11 = 1011
4 = 100	12 = 1100
5 = 101	13 = 1101
6 = 110	14 = 1110
7 = 111	15 = 1111

Play the game below – Follow the link

<https://learningcontent.cisco.com/games/binary/index.html>

Convert Binary Numbers to Decimal Using a Table

Using **tables** can help you **quickly** convert numbers from binary to decimal.

EXAMPLE: Convert the 4-bit binary number 1001 into a decimal number.

- 1) Draw a **table** with binary **place values** in the **top** row and the binary **number** in the **bottom** row.
- 2) Write down the **powers of 2** that have a **1** in their **column**. In this case it's **8** and **1**.
- 3) **Add** these values together to find the **decimal** number.

8	4	2	1
1	0	0	1

8 + 1 = 9

For **longer** binary numbers, use the **same** method. You'll just need to add **more columns**.

EXAMPLE: Convert the 8-bit binary number 01011001 into a decimal number.

- 1) Draw up the table in the **same** way, but with **8 columns**. Put powers of 2 in the **top** row and the binary number in the **bottom** row.
- 2) Write down the **powers of 2** that have a **1** in their **column**: 64, 16, 8 and 1.
- 3) **Add** these values together to find the **decimal** number.

128	64	32	16	8	4	2	1
0	1	0	1	1	0	0	1

64 + 16 + 8 + 1 = 89



Binary to Denary Workbook

In this workbook, you will be asked to calculate denary numbers from their binary equivalent. Fill out the missing boxes on each table.

The first row are the position values

The second row is where the binary number is entered

The third row is the calculation, where the two are multiplied together

The fourth is the result

The fifth is where you work out the denary equivalent of your starting binary number.

Example 1: binary number = 00000011

128	64	32	16	8	4	2	1
0	0	0	0	0	0	1	1
128 * 0	64 * 0	32 * 0	16 * 0	8 * 0	4 * 0	2 * 1	1 * 1
0	0	0	0	0	0	2	1
Answer	$2 + 1 = 3$						

Example 2: binary number = 00001011

128	64	32	16	8	4	2	1
0	0	0	0	1	0	1	1
128 * 0	64 * 0	32 * 0	16 * 0	8 * 1	4 * 0	2 * 1	1 * 1
0	0	0	0	8	0	2	1
Answer	$8 + 2 + 1 = 11$						

Task 1: binary number = 00001111

128	64	32	16	8	4	2	1
0	0	0	0	1	1	1	1
128 * 0	64 * 0	32 * 0	16 * 0	8 * 1	4 * 1	2 * 1	1 * 1
Answer							

Task 2: binary number = 00101010

128	64	32	16	8	4	2	1
0	0	1	0	1	0	1	0
128 * 0	64 * 0	32 * 1	16 * 0	8 * 1	4 * 0	2 * 1	1 * 0
Answer							

Task 3: binary number = 01011011

128	64	32	16	8	4	2	1
0	1	0	1	1	0	1	1
128 *	64 *	32 *	16 *	8 *	4 *	2 *	1 *
Answer							

Task 4: binary number = 00101101

128	64	32	16	8	4	2	1
Answer							

Task 5: binary number = 11001100

128	64	32	16	8	4	2	1
Answer							

Task 6: binary number = 11100010

128	64	32	16	8	4	2	1
Answer							

Task 7: binary number = 01101001

128	64	32	16	8	4	2	1
Answer							

Task 8: binary number = 00010001

128	64	32	16	8	4	2	1
Answer							

Task 9: binary number = 10000101

128	64	32	16	8	4	2	1
Answer							

Task 10: binary number = 00100111

128	64	32	16	8	4	2	1
Answer							

Task 11: binary number = 11101110

128	64	32	16	8	4	2	1
Answer							

Lesson 2

LI: to understand how to convert denary to binary

Opening question?

Have we done this before?

Play the game below – Follow the link

<https://learningcontent.cisco.com/games/binary/index.html>

We have converted denary to binary in the game we played last lesson. Spend 5 minutes playing the game again to refresh your memory.

DART

Binary Numbers

Now it's time to learn how to convert the **other way** — from **decimal** numbers to **binary** numbers.

Convert Decimal to Binary by Subtracting

The easiest way to learn the **method** here is to look at an **example**:

EXAMPLE:

Convert the decimal number 71 into an 8-bit binary number.

- 1) Draw a **table** with **8 columns**. Put powers of 2 in the **top row**.
- 2) 71 is the **running total** that you **subtract** numbers from.
- 3) Starting from the **left** of the table, if the top row value is **less than** or **equal** to the running total, then **subtract** it from the running total. E.g. $128 > 71$, so the running total **stays** at 71. In the **next column**, $64 < 71$ so $71 - 64 = 7$ is the **new** running total.
- 4) Put a **1** in any **column** where you subtracted from the running total.
- 5) Then **read** off the binary number from the **bottom row** of the table.

128	64	32	16	8	4	2	1
0	1	0	0	0	1	1	1

$128 > 71$
 $71 - 64 = 7$
 $32 > 7$
 $16 > 7$
 $8 > 7$
 $7 - 4 = 3$
 $3 - 2 = 1$
 $1 - 1 = 0$

So 71 as a binary number is **01000111**.

Denary to Binary Workbook

Example:

128	64	32	16	8	4	2	1
0	0	0	0	0	0	1	1

Example	Denary = 3
Answer in binary	00000011
Calculation for answer	$(1 * 1) + (2 * 1) = 3$

Task 1:

128	64	32	16	8	4	2	1
0	0	0	0	0	1	1	0

Task 1	Denary = 6
Answer in binary	
Calculation for answer	$(2 * 1) + (4 * 1) = 6$



Task 2:

128	64	32	16	8	4	2	1

Task 2	Denary = 15
Answer in binary	
Calculation for answer	

Task 3:

128	64	32	16	8	4	2	1

Task 3	Denary = 21
Answer in binary	
Calculation for answer	

Task 4:

128	64	32	16	8	4	2	1

Task 4	Denary = 39
Answer in binary	
Calculation for answer	



Task 5:

128	64	32	16	8	4	2	1

Task 5	Denary = 54
Answer in binary	
Calculation for answer	

Task 6:

128	64	32	16	8	4	2	1

Task 6	Denary = 78
Answer in binary	
Calculation for answer	

Task 7:

128	64	32	16	8	4	2	1

Task 7	Denary = 99
Answer in binary	
Calculation for answer	



Task 8:

128	64	32	16	8	4	2	1

Task 8	Denary = 106
Answer in binary	
Calculation for answer	

Task 9:

128	64	32	16	8	4	2	1

Task 9	Denary = 180
Answer in binary	
Calculation for answer	

Task 10:

128	64	32	16	8	4	2	1

Task 10	Denary = 200
Answer in binary	
Calculation for answer	



Add Binary Numbers Using Column Addition

- 1) **Adding** binary numbers may look a bit **strange** at first. This is because you **cannot** have the **number 2** in binary.
- 2) To help you add in binary, you need to **remember** these **four rules**.
- 3) The **example below** shows how to do **column addition** in **binary**.

- $0 + 0 = 0$
- $1 + 0 = 1$
- $1 + 1 = 10$
- $1 + 1 + 1 = 11$

EXAMPLE:

Add the following 4-bit binary numbers together: 0110 and 0111

$$\begin{array}{r}
 0\ 1\ 1\ 0 \\
 +\ 0\ 1\ 1\ 1 \\
 \hline
 1\ 1\ 0\ 1 \\
 \hline
 1\ 1
 \end{array}$$

- 1) **First**, put the binary numbers into **columns**.
- 2) Starting from the **right**, add the numbers in each **column** together, using the **rules above**.
 $0 + 1 = 1$, so put a 1 on the answer line.
 $1 + 1 = 10$, so put a 0 on the answer line and **carry the 1** into the **next column**.
 $1 + 1 + \text{the carried } 1 = 11$, so write a 1 on the answer line, and carry a 1.
 $0 + 0 + \text{the carried } 1 = 1$, so write a 1 on the answer line.

- 3) You can **check** that you have the correct answer by **converting** everything into **decimal** and adding them: $0110 = 6$, $0111 = 7$ and $1101 = 13$. $6 + 7 = 13$ ✓

Adding Binary Numbers Workbook

Rules

0 + 0 = 0

0		+
0		
=0		

0 + 1 = 1

0		+
1		
=1		

1 + 1 = 10

1		+
1		
=10		

1 + 1 + 1 = 11

1		+
1		
=11		

Example

0	0	0	1	1	1	0	1
1	0	0	1	1	0	1	1
		1	1	1	1	1	
1	0	1	1	1	0	0	0

Row 1 and 2 contains the binary numbers to be added

Use Row 3 to mark where numbers were "carried over" from the last column

Put your final answer to the question in Row 4

Task 1: 01111101 + 01100010

0	1	1	1	1	1	0	1
0	1	1	0	0	0	1	0

Task 2: 11010010 + 00000110

1	1	0	1	0	0	1	0
0	0	0	0	0	1	1	0

Task 3: 01100110 + 00100001

0	1	1	0	0	1	1	0
0	0	1	0	0	0	0	1

Task 4: 10101010 + 01000111

1	0	1	0	1	0	1	0
0	1	0	0	0	1	1	1

Task 5: 10110001 + 00011010

1	0	1	1	0	0	0	1
0	0	0	1	1	0	1	0

Task 6: 00011101 + 10001011

0	0	0	1	1	1	0	1
1	0	0	0	1	0	1	1

Find the spy using binary addition

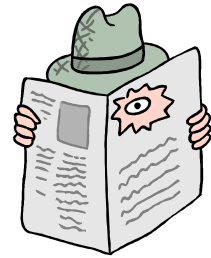
Top secret information has been stolen from a government database and you have just received a coded message which contains the location of the spy. To decrypt the message add up the binary numbers below and convert the results into denary (base 10).

Then go onto the second page and find the letter for each number. This will spell out the location of the spy.

Remember $0+0=0$, $1+0=1$, $0+1=1$, $1+1=(\text{carried}) 1 0$

$$\begin{array}{r}
 + \quad 00010011 \\
 \hline
 \quad 00000001 \\
 \hline
 \end{array}$$

Converted into denary =



$$\begin{array}{r}
 + \quad 00000101 \\
 \hline
 \quad 00100100 \\
 \hline
 \end{array}$$

Converted into denary =

$$\begin{array}{r}
 + \quad 00010000 \\
 \hline
 \quad 00010101 \\
 \hline
 \end{array}$$

Converted into denary =

$$\begin{array}{r}
 + \quad 00011001 \\
 \hline
 \quad 00011010 \\
 \hline
 \end{array}$$

Converted into denary =

$$\begin{array}{r}
 + \quad 00011001 \\
 \hline
 \quad 00010000 \\
 \hline
 \end{array}$$

Converted into denary =

Use the table to decrypt the message by writing the letter that is above the denary number you found from the binary sums above. Write each letter in the boxes below to reveal to location of the spy.

The spy and the data are in

A	B	C	D	E	F	G	H	I	J	K	L
1	2	3	4	5	6	7	8	9	10	11	12
M	N	O	P	Q	R	S	T	U	V	W	X
13	14	15	16	17	18	19	20	21	22	23	24
Y	Z	a	b	c	d	e	f	g	h	i	J
25	26	27	28	29	30	31	31	33	34	35	36
k	l	m	n	o	p	q	r	s	t	u	v
37	38	39	40	41	42	43	44	45	46	46	48
w	x	y	z	!	*	()	+	=	&	@
49	50	51	52	53	54	55	56	57	58	59	60

Lesson 4

Assessment lesson to see if you have understood Binary/ Denary and the rules associated to binary addition.